

SOLUTIONS OF THE PROBLEMS

yd. = 3970 sq. yd. $\therefore$ radius of this circle = $(\sqrt{3970 \div \frac{2}{7}})$
 yd. = 35.541 yd. $\therefore$ width of road = $(35.541 - 35)$ yd.

32. The length contains 3 ft. as many times as the width contains 2 ft. Area of rectangle 3 ft. by 2 ft. = 6 sq. ft. $\therefore$ 240 sq. ft. contains $(240 \div 6)$ of these rectangles = 40. $\therefore$ the length = $(\sqrt{40 \times 3})$ ft. = 18.973 ft.

33. Circumference of circular field = $(\frac{2}{7} \times 15)$ rods = $47\frac{1}{7}$ rods, and perimeter of square field = (4×14) rods = 56 rods. $\therefore$ square field by $8\frac{5}{7}$ rods.

34. 7, page 112.

Page 114

35. External dimensions are 36 in., 24 in., 18 in. Internal dimensions are 34 in., 22 in., 17 in. No. of cu. in. of material = $36 \times 24 \times 18 - 34 \times 22 \times 17 = 2836$ cu. in.

36. Side of sq. = $\sqrt{80}$ in. $\therefore$ length = $(\sqrt{80} \div 8)$ in. = 1.118 in.

37. Area field = $(40 \times 5\frac{1}{2} \times 3 \times 30 \times 3)$ sq. ft. $\therefore$ side of sq. = $\sqrt{40 \times 5\frac{1}{2} \times 3 \times 30 \times 3}$ ft. = 243.721 ft.

38. 6, page 112.

39. See page 87.

40. Area = $2 \{ (9 \times 10) + (10 \times 7\frac{1}{2}) + (9 \times 7\frac{1}{2}) \}$ sq. ft. = &c.

41. Rad. = $\frac{7}{4} \times 55$ in. = $\frac{385}{4}$ in. $\therefore$ area of circle = $\frac{22}{7} \cdot (\frac{385}{4})^2$ sq. in. $\therefore$ side of sq. = $\sqrt{\frac{22}{7} \cdot (\frac{385}{4})^2}$ in. = $\frac{385}{4} \sqrt{\frac{22}{7}}$ in. = $\frac{385}{4} \sqrt{3.142857}$ in. = 15.512 in.

42. 15, page 112, and 32, page 1. 3.

43. Side of square = 25 yd., sides of rect. = 10 and 40 yd.

44. Side of field = $\sqrt{10 \times 4840}$ yd. = 220 yd. Length of wire = $(5 \times 4 \times 220)$ yd. = 4400 yd. Cost of wire = $\$(4400 \times .03) = \132 . No. of posts to a side = 84. $\therefore$ no. of posts required = $4 \times 84 - 4 = 332$. Cost of posts = $\$(332 \times .08) = \26.56 . $\therefore$ total cost = $\$(132 + 26.56) = \158.56 .