

differential effects.

*Proposition 4. An increase in  $\alpha^2$  causes*

*a. a decrease in  $g(c/c^*)$  if  $\bar{p} < p/e$*

*b. an increase in  $g(c/c^*)$  if  $\bar{p} > p/e$ .*

Less confidence with the forecast based on purchasing power parity leads consumers to place greater weight on  $\bar{p}$  to calculate expected foreign price. If  $\bar{p} < p/e$ , then consumers anticipate that foreign prices will fall, leading consumers to increase purchases of foreign goods while domestic consumption falls. If  $\bar{p} > p/e$ , then consumers believe foreign prices will rise which favors domestic consumption rather than foreign consumption.

The results of propositions (1)-(4) are summarized in Figure 2, which illustrates how the consumer allocates income between goods purchased in the domestic market and abroad, for given values of  $p$ ,  $\gamma$ , and  $\theta$ . The function  $g(\cdot)$  is increasing which suggests that higher forecasted foreign price leads to greater domestic consumption. A change in uncertainty causes the curve to rotate around point A where  $\bar{p} = p/e$ . An increase in the value of  $\theta$  (either due to a decrease in  $\gamma^2$  or an increase in  $\alpha^2$ ) causes the curve to rotate clockwise as indicated by the

dotted line. In this case, consumers rely more heavily on  $\bar{p}$  in forming expectations of foreign price. If  $\bar{p} > p/e$  then consumers anticipate higher prices abroad and reduce foreign expenditures.

But if  $\bar{p} < p/e$ , the change in uncertainty leads consumers to believe that foreign prices have fallen which favors increased travel spending. Only when  $\bar{p} = p/e$  is the consumer's choice unaffected by uncertainty.