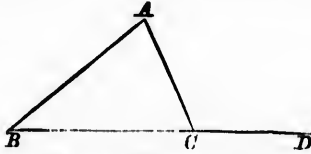


PROPOSITION XVII. THEOREM.

Any two angles of a triangle are together less than two right angles.



Let ABC be any Δ .

Then must any two of its \angle s be together less than two rt. \angle s.

Produce BC to D .

Then $\angle ACD$ is greater than $\angle ABC$. I. 16;

$\therefore \angle$ s ACD, ACB are together greater than \angle s ABC, ACB .

But \angle s ACD, ACB together = two rt. \angle s. I. 13

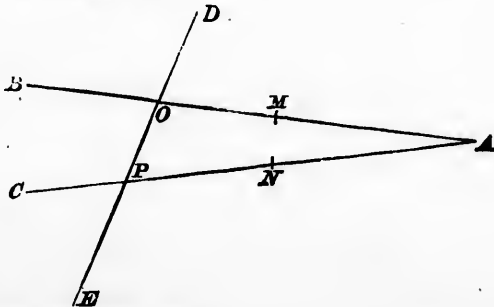
$\therefore \angle$ s ABC, ACB are together less than two rt. \angle s.

Similarly it may be shewn that \angle s ABC, BAC and also that \angle s BAC, ACB are together less than two rt. \angle s.

Q. E. D.

NOTE 4. On the Sixth Postulate.

We learn from Prop. XVII. that if two straight lines BA and CA , which meet in A , are met by another straight line DE in the points O, P ,



the angles MOP and NPO are together less than two right angles.

The Sixth Postulate asserts that if a line DE meeting two other lines BA, CA makes MOP, NPO ; the two interior