3.—Poirce's Formula. $y = Y - is + \frac{\overline{is}}{4Y} \Big)^2$ $=1.75-1.75+\overline{\frac{1.75}{4+1.75}}\Big)^{2}$ $= 1.75 - 1.75 + \frac{3.0625}{7}$ = '4375 feet. Height of backwater at Robey Street junction. 4-Dupuit's Formula. Log $y = \log Y - \frac{is}{77 P}$; in which P is the mean depth between the points. $Log \ y = \log 1.75 - \frac{.000025 \times 70000}{.77 \times 23}$ Reduced to inches gives- $\text{Log 12 } y = \log 21 - \frac{1.75}{1.77}$ = 1.3222193 - 1 = 0.3222193 $y = \frac{0.3222193}{12} = 0.027$ feet. Height of backwater at Robey Street junction.

 (1) By Guilhelm's Formula.
 y = 0.35 feet.

 (2) By Funk's
 "

 (3) By Poiree's
 "

 (4) By Dupuit's
 "

4)1 314 Mean height..... $y = \overline{0.3285}$ " Toufind the probable errors by the method of least squares, assuming each of the $\dots \dots y = 0.3285$

formulas to have equal weights.

No. of Formula.	Depth of Backwater.	Difference from Mean.	Square of Residuals.
1	0.32	-0.021	0.0004
2	0.2	-0.121	0.0295
3	0.432	-0.108	0.0112
4	0.027	+0.301	0.0906
Mean =	0.3285	[nn,] =	0.1319

Probable error :---

$$r = {}^{\cdot}6745 \sqrt{\frac{[n \ n_1]}{m-1}} = {}^{\cdot}6745 \sqrt{\frac{0 \cdot 1319}{4-1}}$$

= 6745 $\sqrt{0 \cdot 0.000} = {}^{\cdot}6745 \times \pm 0.21$
= ± 0.14 feet.

Probable error of Arithmetical Mean :---

$$r(x) = \frac{\cdot 6745}{\sqrt{m}} \sqrt{\frac{[n n_1]}{m-1}} = \frac{\cdot 6745}{\sqrt{4}} \sqrt{\frac{0 \cdot 1319}{4-1}}$$
$$= \frac{\cdot 6745}{2} \sqrt{0 \cdot 044} = \cdot 3372 \times \pm 021$$
$$= \div 0.071 \text{ feet.}$$

TANK ILLUSTRATIONS.

Suppose a tank 5 feet long, and 2 feet wide, with a depth of water of 10 feet, receives a constant supply of 3 cubic feet per second, what will be the diameter of a round orifice in the bottom capable, with a constant head of 10 feet, to discharge 3 cubic feet per second?

Let D = Discharge in cubic feet per second. h = Depth of water or constant head. A = Area of orifice in square feet. c = Co-efficient of discharge.