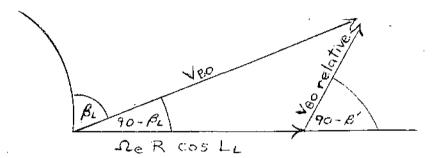
Solve for Maneuver Positions and Launch Azimuth (Continued)

 $\beta_{\rm L} = \sin^{-1} \left[\cos i_t / \cos L_{\rm L}\right]$ 

2.9

An additional component is produced by the earth's rotation which is approximately 465 cos  $L_L$  mps.



 $V_{BO}^{2} \operatorname{relative} = V_{BO}^{2} + (\Omega_{e}R \operatorname{cosL})^{2}$   $- 2 V_{BO} \Omega_{e}R \operatorname{cosL} \cos (90 - \beta_{L})$   $\cos (90^{\circ} - \beta_{L}) = \sin \beta_{L} = \frac{\cos i_{L}}{\cos L_{L}}$   $V_{BO}^{2} \operatorname{rel} = V_{BO}^{2} (\Omega_{e}R_{e} \operatorname{cosL})^{2}$   $- 2 V_{BO} \Omega_{e}R \cos i$   $\frac{V_{BO}}{\sin (90^{\circ} + \beta^{1})} = \frac{V_{BO} \operatorname{rel}}{\sin (90^{\circ} - \beta_{L})}$   $V_{BO} \qquad V_{BOrel}$ 

 $\frac{1}{\cos \beta^{1}} = \frac{1}{\cos \beta_{L}}$   $\cos \beta^{1} = \frac{V_{BO}}{V_{BO} rel} \cos \beta_{L}$ 

 $B^1$  = azimuth in which the vehicle must be fired. Assumption: distance and time spent during ascent to the point of burnout are small.