

The period was considered fixed from the early observations. Observation equations were built up in the usual way for the other elements and a solution effected. Corresponding to the normal places at the intersections of the curves an observation equation, suitably weighted, was formed for both primary and secondary. Making the substitutions,

$$\begin{aligned}x &= \delta\gamma \\y &= \delta K \\y_1 &= \delta K_1 \\z &= 100 \delta e \\u &= 100 \delta \omega \\v &= [1.83000] \delta T\end{aligned}$$

the following observation equations resulted. Owing to the similarity of coefficients for ω and T , it was found necessary to consider T as fixed.

OBSERVATION EQUATIONS OF BOSS 5173

No.	x	y	y_1	z	u	$-n$	Weight
1.....	1.000	-0.851	-769	-447	-5.50 = 0	.3
2.....	1.000	-0.983	-514	-207	+ 2.20	.1
3.....	1.000	-1.008	-096	+ .022	0.00	.3
4.....	1.000	-0.879	+536	+ .351	+ 2.30	.2
5.....	1.000	-0.064	+270	+ .738	-11.00	.1
6.....	1.000	+0.765	-761	+ .457	-7.50	.15
7.....	1.000	+0.970	-472	+ .123	-4.60	.2
8.....	1.000	+0.973	+080	- .170	+ 0.50	.2
9.....	1.000	+0.819	+621	- .460	- 4.80	.25
10.....	1.000	-0.161	-028	- .791	-15.30	.15
11.....	1.000	+0.852	+865	+ .501	+ 0.60	.2
12.....	1.000	+0.975	+620	+ .259	+ 4.00	.1
13.....	1.000	+1.006	+096	- .048	+ 1.40	.15
14.....	1.000	+0.907	-524	- .348	+ 5.80	.15
15.....	1.000	+0.064	-304	- .831	- 0.40	.05
16.....	1.000	-0.770	+857	- .508	+ 5.80	.15
17.....	1.000	-0.973	+508	- .124	+ 2.90	.1
18.....	1.000	-0.978	-036	+ .164	- 1.00	.1
19.....	1.000	-0.801	-732	+ .541	- 0.30	.2
20.....	1.000	+0.161	+032	+ .890	+11.10	.1

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