[A sphere of lead weighing one pound was suspended at a height 16 feet above the theatre floor. It was liberated, and fell by gravity. The weight required exactly a second to fall to the earth from that elevation; and the instant before it tonched the earth, it had a velocity of 32 feet a second. That is to say, if at that instant the earth were annihilated, and its attraction annulled, the weight would proceed through space at the uniform velocity of 32 feet a second.]

Suppose that instead of being pulled down by gravity, the weight is cast upward in opposition to the force of gravity, with what velocity must it start from the earth's surface in order to reach a height of 16 feet? With a velocity of 32 feet a second. This velocity imparted to the weight by the human arm, or by any other mechanical means, would carry the weight up to the precise height from which it had fallen.

Now, the lifting of the weight may be regarded as so much mechanical work. I might place a ladder against a wall, and carry the weight up a height of $16^{i}$ feet; or I might draw it up to this height by means of a string and pulley, or I might suddenly jerk it up to a beight of 16 feet. The amount of work done in all these cases, as far as the raising of the weight is concerned, would be absolutely the same. The absolute amount of work done depends solely upon two things: first of all, on the quantity of matter that is lifted; and secondly, on the height to which it is lifted. If you call the quantity or mass of matter $m$, and the height through which it is lifted $h$, then the product of $m$ into $h$, or $m h$, expresses the amount of work done.

Supposing, now, that instead of imparting a velocity of 32 feet a second to the weight, we impart twise this speed, or 64 feet a second. To what height will the weight rise? You might be disposed to answer, "To twice the height:" but this would be quite incorrect. Both theory and experiment inform us that the weight would rise to four times the height; instead of twice 16, or 32 feet, it would reach four times 16 , or 64 feet. So also, if we treble the starting velocity, the weight would reach nine times the height; if we quadruple the speed at starting, we attain sixteen times the height. Thus, with a velocity of 128 feet a second at starting, the weight would attain an elevation of 258 feet. Supposing we augment the velocity of starting seven times, we should raise the weight to 48 times the height, or to an elevation of 784 feet.

