| Statien. | Peint. | Bearing. | Vernier. | Curva Data. |
| :---: | :---: | :---: | :---: | :---: |
| $52+40.5$ | P. T. C. ${ }^{\text {a }}$ |  | $3^{\circ} 00^{\prime}=\frac{1}{\text { I }}$ |  |
| +80.5 |  |  | $3^{\circ} 43^{\prime}$ |  |
| $51-+20.5$ |  |  | $4^{\circ} 41^{\prime}$ |  |
| +60.5 |  |  | $5^{\circ} 53^{\prime}$ |  |
| $50+00.5$ |  |  | $7^{\circ} 19^{\prime}$ |  |
| - +40.5 | P. C. ${ }^{+}$- |  | $4^{\circ} 44^{\prime}$ |  |
| 49 |  |  | $3^{\circ} 31^{\prime}$ |  |
| 48 |  |  | $0^{\circ} 31^{\prime}$ | Vertex $=48+67$ |
| * +82.7 | P. $\mathrm{C}^{1} \odot$ | $6^{\circ} \mathrm{Left}$. | $3^{\circ} 00^{\prime}=\frac{1}{3} 1$ | $\triangle=27^{\circ} 28^{\prime}$ |
| $47+22.7$ |  |  | $1^{\circ} 55^{\prime} .2$ | $\mathrm{D}=6^{\circ}$ |
| +62.7 |  |  | $1^{\circ} 04^{\prime} .5$ | $\mathrm{I}=9^{\circ}$ |
| $46+02.7$ |  |  | $0^{\circ} 288^{\prime} .8$ | $\mathrm{T}=234.44$ |
| $45+42.7$ | Offeet 3.90 |  | $0^{\circ} 07^{\prime} .2$ | $\mathrm{S}^{\prime \prime}=300$ |
| $44+82.7$ | P. T. C. $\odot$ | N. 20 W. |  | $\mathrm{F}=0^{\circ} 03^{\prime} .92$ |

Here we have taken $\mathrm{S}^{\prime \prime}=300 . . \cdot \mathrm{F}=3.92$, and $s$ or $x=149,9$. $T^{\mathbf{L}}=234.44$. We divide 300 by 5 , which is $60 \mathrm{ft}^{\text {. for chord length, }}$ which is reasonahle length. Then as central angles are as :quate of distance :

$$
\begin{aligned}
& \left(\frac{1}{5}\right)^{2} \times 9^{\circ}=21^{\circ} 06^{\prime} \quad \therefore 0^{\prime} 7^{\prime} .2=\text { deflection. } \\
& \left(\frac{2}{5}\right)^{x} \times 9^{\circ}=1^{\circ} 26.4^{\prime} \cdot \therefore 0^{\circ} 28^{\prime} .8= \\
& \left(\frac{3}{5}\right)^{2} \times 9^{\circ}=3^{\circ} 14.4^{\prime} \cdot 1^{\circ} 04^{\prime} .8= \\
& \left(\frac{4}{5}\right)^{\circ} \times 9^{\circ}=5^{\circ} 45.6 \cdot 1^{\circ} 55^{\prime} .2= \\
& \left(\frac{5}{5}\right)^{\circ} \times 9^{\circ}=9^{\circ} 00^{\prime} \quad \therefore 3^{\circ} 00^{\prime}=
\end{aligned} \quad 4 \quad=\frac{1}{3} 1 .
$$

Since $\Delta=27^{\circ} 28^{\prime}$ and $18^{\circ}$ is used up for T. curve . $.9^{\circ} 28^{\prime}$ remains for simple eurve, which is ( $9^{\circ} 28 \div 6^{\circ}$ ) long $=1+57.8$. (The ueflections from P. C. ${ }^{1}$ to P. T. C. ${ }^{1}$ are taken from Table No. 2, a deseription of which has been omitted for want of space. It is constructed from the tangent, in series and an equation, $d=\frac{1}{3} \cdot \frac{1}{s^{\prime \prime}}\left(s^{2}+s^{2}+s s\right)$. . . . . . . . . This tahle should be very valuable to the engineer: Without it we begin from the P. T. C. ${ }^{1}$ and run to the P. C. ${ }^{1}$ with the deflections first found.

If we wish to simply put in the offisets and run the eurve later; we place the stakes as follows :
P. I. (point of intersection) $=48+67$

$$
\begin{array}{rr} 
& \begin{aligned}
T^{\prime \prime} & =2+34.4 \\
& =46+32.6 \\
\text { P. C. } & \frac{4+57.8}{50+90.4}
\end{aligned} \\
\text { P.T. } & \begin{aligned}
\end{aligned}
\end{array}
$$

Then at Sts. $46+32.6$ and $50+90.4$ offisets are placed. $(4+57.8)=$ $\frac{\Delta}{\mathrm{D}}=\frac{27^{\circ} 28^{\prime}}{6^{\circ}}$.
As will be seen, it is hecter to work forward instead of from the P. T. C. and P. T. C.' to the circular curve.


* Set up trensit and set to $8^{\circ}$ for backsight.
*** "

