

22. We have worked out the examples in Art. 21 at full length, but in practice they may be abbreviated, by combining the symbols or digits by a mental process, thus

$$\begin{array}{r} \text{To } c+d+10 \\ \text{Add } \underline{c-d-7} \\ \text{Sum } 2c+3 \end{array} \qquad \begin{array}{r} \text{From } c+d+10 \\ \text{Take } \underline{c-d-7} \\ \text{Remainder } 2d+17 \end{array}$$

23. We have said that

$$\begin{array}{l} \text{instead of } a+a \text{ we write } 2a, \\ \dots\dots a+a+a \dots\dots 3a, \end{array}$$

and so on.

The digit thus prefixed to a symbol is called the *coefficient* of the term in which it appears.

24. Since $3a = a + a + a,$
and $5a = a + a + a + a + a,$
 $3a + 5a = a + a + a + a + a + a + a$
 $= 8a.$

Terms which have the same symbol, whatever their coefficients may be, are called *like* terms: those which have different symbols are called *unlike* terms.

Like terms, when positive, may be combined into one by adding their coefficients together and subjoining the common symbol: thus

$$\begin{array}{l} 2x + 5x = 7x, \\ 3y + 5y + 8y = 16y. \end{array}$$

25. If a term appears without a coefficient, *unity* is to be taken as its coefficient.

Thus $x + 5x = 6x.$

26. Negative terms, when like, may be combined into one term with a negative sign prefixed to it by adding the coefficients and subjoining to the result the common symbol.

Thus $2x - 3y - 5y = 2x - 8y,$
for $2x - 3y - 5y = 2x - (3y + 5y)$
 $= 2x - 8y.$

So again $3x - y - 4y - 6y = 3x - 11y.$