GRAPHIC SOLUTION OF KUTTER'S FROMULA.

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A graphic solution of Kutter's formula for the flow of water has been worked out by Dr. L. I. Hewes in connection with his course in graphic computations, given in the Sheffield Scientific School, Yale University, which may be of interest to those who deal with canals, flumes and streams.

Kutter's formula,
$$V = \left(\frac{41.66 + \frac{1.811}{n} + \frac{0.00281}{S}}{1 + \left(41.76 + \frac{0.00281}{S}\right)\sqrt{RS}}\right) \sqrt{RS}$$

the nature and condition of the bottom. Usually, R and S have been determined; n, assumed, and it is desired to calculate V. In this case the diagram is read as follows: From the given value of R on the middle scale project horizontally to the curve of the n-value assumed; thence project vertically to the diagonal. A straight-edge through the point on the diagonal so found and the point on the S-scale determined by the given conditions will cut the V-scale at the required mean velocity. The chart furnishes a means of determining any one of the four factors, the other three being known. This would be especially useful where it is desired to find a coefficient, n, corresponding to a given set of conditions, as the solution of Kutter's formula for this factor is especially troublesome.



¹⁵ probably the most accurate of those proposed determining the flow of water. But it is extremely cumbersome, and if many calculations are to be made their solution becomes drudgery. The purpose of this chart, Fig. 1, is to furnish a rapid solution, sufficiently accurate to be well within the limits of the observed data.

The chart consists essentially of three parallel scales, one f_{0r} the mean velocity, V, one for the hydraulic radius, R, and ^{one} for the slope; a diagonal line, not graduated; and set of ^{curves} for the various values of n, the factor which involves

The range of values covers all but the most extraordinary conditions. The graduations on the V-scale range from o to 25, far beyond any velocity encountered in practice; the scale of hydraulic radii ranges from o to 50 ft.; the slopes range from 1 in 16 to 1 in two miles; and the n-curves cover all the values given in any of the books of reference.

The accuracy of the chart is about uniform for the various conditions encountered. Where the n-curves are acute to the Rscale, the scale itself is very coarse, thus compensating for any error due to the obliquity of the curves. Opposite the upper end of the R-scale, where its graduations are finer, the n-curves *Paper read before New Haven meeting Am. Inst. M. E. have turned and are nearly parallel to it, so that an error