

prising the base, a vertical prism, two front polars or macrodomes, and a side polar or brachydome.

$$V : V = 103^\circ 38'.$$

$$B : \tilde{P} = 127^\circ 45'.$$

$$B : \frac{1}{4}\tilde{P} = 157^\circ 33'.$$

$$B : \frac{1}{4}\tilde{P} = 140^\circ 27'.$$

To determine axis \tilde{x} (\tilde{x} being unity,) we have $\frac{V : V}{2} = 51^\circ 49'$. Then— (See Fig. 8.)

$$(\text{Log cot } 51^\circ 49') - 10 = \bar{1}.8956719 = \log 0.78645 = \log \tilde{x}.$$

To determine axis x , we assume the side polar \tilde{P} to be a protaxial form: this side polar being of almost constant occurrence, and often predominating in the crystals. $B : \tilde{P} = 127^\circ 45'$. This, less $90^\circ =$ the angle A in the diagram, fig. 10. Consequently (axis \tilde{x} being unity):

$$R : \cot 37^\circ 45' :: 1 : x : \text{whence:}$$

$$\text{Log } x = (\log \cot 37^\circ 45') - 10 = 0.1117222 = \log 1.2938.$$

Turning now to the two front polars, we find the inclination of the base on the one adjacent to it $= 157^\circ 33'$. Deducting 90° from this, we get the angle A' in fig. 11. Then, to obtain the vertical axis x , we have the formula:

$$R : \cot A' :: \tilde{x} : x.$$

$$\text{Log } \tilde{x} \text{ (as already found,)} = \bar{1}.8956719$$

$$\text{Log cot } 67^\circ 33' \quad - \quad = 9.6161514$$

$$\hline 9.5118233$$

$$\text{Log } R \quad - \quad - \quad - \quad = 10$$

$$\hline \bar{1}.5118233 = \log 0.3250.$$

This value being just one fourth that of x in the protaxial form, the symbol of this front polar, or macrodome, becomes $\frac{1}{4}\tilde{P}$.

The inclination of the base on the lower form $= 140^\circ 27'$. Deducting 90° from this, and proceeding as before, we obtain:

$$\text{Log } \tilde{x} \quad - \quad - \quad = \bar{1}.8956719$$

$$\text{Log cot. } 50^\circ 27' \quad = 9.9168765$$

$$\hline 9.8125484$$

$$\text{Log } R \quad - \quad - \quad = 10$$

$$\hline \bar{1}.8125484 = \log 0.6418$$