

PROBLEM 78.—To Draw the Epicycloid Described by a Point in the Circumference of a Given Generating Circle B D, Rolling on a Given Directing Circle B E.

Join the centres AC. Divide the circle BD into the equal parts BA, ab, etc. With A as centre and AC as radius, describe an arc of a circle Cr.

With the same centre and radii Aa, Ab, Ac, Ad and Ae, describe ares

Divide the circumference HE into equal parts Bf, fg. etc., having the same length as the arcs Bn, ab, bc., etc. (a on rolling would come into contact with f, b with g, c with b, etc.)

From A draw radii through f. g., h. etc., to meet the arc Cr in the points m, u, o, etc.

With centre III and radius CD, describe an are of a circle cutting the are described with the radius Acin II. This are II f represents one position of the generating circle and the point II the position which the generating point D would then have reached.

Similarly with centres n, o, etc., describe ares meeting the arcs described, with radii A d, A c, etc., respectively in M, N, etc.

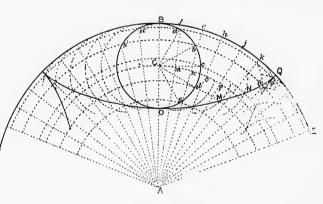
The generating point will successively occupy the positions D, L, M, N, Φ , P, Q, on the curve.

The remaining half of the loop is to be similarly formed.

PROBLEM 79.—TO DRAW THE HYPOCYLOID OR INTERNAL EPICYCLOID DESCRIBED BY THE POINT D IN THE GENERATING CIRCLE DB, ROLLING WITHIN THE DIRECTING CIRCLE EB.

The description for the external epicycloid will serve also for this curve.

When the diameter of the generating circle equals the radius of the directing circle, the curve becomes a straight line.



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