

## 2.7 <u>Match Launch Time with Time Launch Site Crosses Orbital</u> Plane (Continued)

$$(\Omega - \Lambda_{L}) = -n \left\{\Omega_{e}\tau_{w}(1 + \frac{\Delta\tau}{\tau}) + \Omega_{w}\right\}$$

$$+ \Omega_{e} \left\{t_{2f} + t^{*} - t_{t} - t_{ascent}\right\}$$

$$\mp \sin^{-1}\left(\frac{tanL_{L}}{tan i}\right) - \delta 180^{\circ}$$

$$+ \Omega_{e} \left\{\left(\frac{\theta_{f}}{360^{\circ}}\right) \left(\Delta\tau_{f} + \Omega_{f}\right)\right\}$$

$$+ \left(\frac{\theta_{t}}{360^{\circ}}\right) \left(\Delta\tau_{t} + \Omega_{t}\right)\right\}$$

Once all of the orbital parameters have been established, this equation becomes that of a straight line. Launch sites which satisfy the timing requirements for various values of n may be solved for.

For a given launch site, the number of revolutions is given by:

$$n = \frac{\Omega_{e}}{\Omega_{e} \tau_{w} (1 + \underline{\Lambda} \tau) + \Omega_{w}} \left[ \frac{\tau_{f}}{360^{\circ}} [E_{2f} - e_{f} \sin E_{2f}] - \frac{\tau_{t}}{360^{\circ}} [E_{t} - e_{f} \sin E_{t}] \right]$$

$$- t_{ascent} + t^{*} - \frac{1}{\Omega_{e}} [(\Omega - \Lambda_{L})]$$